

# Integrated model for denosumab and ibandronate pharmacodynamics in postmenopausal women

Dhananjay D. Marathe<sup>a,†</sup>, Anshu Marathe<sup>b,†</sup>, and Donald E. Mager<sup>b,\*</sup>

<sup>a</sup>Chemical and Biological Engineering, University at Buffalo, State University of New York, Buffalo, New York 14260, USA

<sup>b</sup>Department of Pharmaceutical Sciences, University at Buffalo, State University of New York, Buffalo, New York 14260, USA

**ABSTRACT:** This study aims to characterize the pharmacodynamic properties of denosumab, a RANK ligand inhibitor, and ibandronate, a bisphosphonate, using an integrated bone homeostasis model in postmenopausal women. Mean temporal profiles of denosumab, serum and urine N-telopeptide (sNTX, uNTX), lumbar spine bone mineral density (BMD) following denosumab administration, and urine C-telopeptide (uCTX) and lumbar spine BMD upon ibandronate administration were extracted from the literature. A mechanistic model was developed that integrates denosumab pharmacokinetics with binding to RANK ligand and ibandronate inhibition of osteoclast precursor differentiation to active osteoclasts (AOC). Biomarker concentrations were linked to the AOC pool. The BMD was characterized by a turnover model with stimulation of bone formation and degradation by AOB (active osteoblasts) and AOC pools. The estimated basal sNTX, uNTX and uCTX concentrations were 7.24 nM, 14.4 nmol/mmolCr and 31 µg/mmolCr. The BMD degradation rate was 0.00161 day<sup>-1</sup> with stimulation constants associated with AOB and AOC of 1214 and 790 pM<sup>-1</sup>. The plasma ibandronate concentration producing 50% of maximum inhibition of osteoclast differentiation was 522 ng/l. The integrated model, which incorporates multiple pathways of therapeutic intervention, quantitatively describes changes in clinical biomarkers of bone turnover and BMD after denosumab and ibandronate exposures in postmenopausal women. Copyright © 2011 John Wiley & Sons, Ltd.

**Key words:** bisphosphonates; bone remodeling; bone mineral density; denosumab; pharmacodynamics

## Introduction

Osteoporosis is a bone disease characterized by low bone mass coupled with structural deterioration of bone tissue. It affects 10 million individuals in the United States alone, and 80% of those affected are women. Some 34 million individuals exhibit low bone mass and have increased susceptibility of developing the disease. Osteoporosis causes increased bone fragility and results in 1.5 million fractures annually, targeting the hip, wrist and spine [1,2]. This

disease results from an imbalance in bone remodeling; a marked increase in bone resorption compared with bone formation. Bone remodeling is primarily accomplished by osteoblast and osteoclast cells, which are responsible for bone formation and degradation respectively. The functioning and interaction of these cellular components are coordinated by the competitive binding of RANK (receptor activator of nuclear factor- $\kappa$ B) receptor and a soluble decoy receptor, osteoprotegerin (OPG), with RANK ligand (RANKL) expressed on the surface of osteoblasts [3–5]. In women, a sharp decline in estrogen levels is observed during menopause that affects the RANK–RANKL–OPG axis and also the functioning of osteoclasts and osteoblasts [6]. Estrogen deficiency has been linked to

\*Correspondence to: Department of Pharmaceutical Sciences, 308 Hochstetter Hall, University at Buffalo, State University of New York, Buffalo, NY 14260, USA.

E-mail: dmager@buffalo.edu

<sup>†</sup>Equal contribution from both authors.

decreased levels of OPG and an increase in differentiation of osteoclast precursors, thus resulting in increased bone resorption [7].

The majority of approved therapies for osteoporosis are anti-resorptive agents. These include estrogen, selective estrogen receptor modulators, calcitonin and bisphosphonates, the most widely used class for osteoporosis therapy. Bisphosphonates are thought to concentrate on the surface of bone and to reduce resorption by interfering with the action of osteoclasts and their precursors and by altering the osteoclast life-span [7,8]. Denosumab, an anti-RANKL monoclonal antibody, is a novel anti-resorptive drug that inhibits RANK–RANKL interaction and is currently FDA approved for the prevention of skeletal-related events in patients with bone metastases from solid tumors. Data from phase III clinical trials of denosumab in postmenopausal osteoporosis demonstrate effective inhibition of bone resorption [9,10].

Model-based drug development might improve the evaluation of osteoporosis therapies given the substantial time required for observing changes in bone mineral density (BMD) and fracture risk in clinical trials. Thus, there is a need for mechanistic models that utilize drug pharmacokinetic (PK) and biomarker data from early trials to predict changes in BMD that exhibit a slow turnover. Semi-mechanistic PK/pharmacodynamic (PD) models have been developed to describe time-courses of biomarkers for ibandronate [8] and pamidronate [11] in osteoporosis. Bone homeostasis models, incorporating drug effects on the RANK–RANKL–OPG pathway, have also been developed to capture biomarker profiles [12,13]. However, such models have yet to be linked to BMD in a mechanistic manner.

The purpose of this study is to characterize the time-course of biomarkers, serum/urine

N-telopeptide of type I collagen (NTX) and BMD, a clinical endpoint, upon denosumab administration in postmenopausal women (PMW) using an integrated bone homeostasis model. The BMD turnover was mechanistically linked to state variables reflecting cellular components responsible for bone remodeling. Also, the mechanism of action of ibandronate was incorporated into the model to describe the time-course of urine C-telopeptide of type I collagen (CTX).

## Material and Methods

### Data source

Mean data for denosumab and ibandronate were obtained from three published clinical studies (Table 1): (i) Denosumab PK and PD (sNTX and uNTX profiles) were obtained from a randomized, double-blind, placebo-controlled, single-dose, dose escalation study in healthy postmenopausal women [9]. Six subcutaneous (s.c.) doses of 0.01, 0.03, 0.1, 0.3, 1.0 and 3.0 mg/kg of denosumab were studied. Denosumab concentrations were measured frequently (rich dataset). uNTX was measured at 0, 0.5, 1, 7 and 14 days, and at 1, 2, 3, 6 and 9 months. sNTX was measured at 0, 1, 4 and 14 days, and at 1, 2, 3, 6 and 9 months. (ii) Denosumab PD (uNTX and lumbar spine BMD time profiles) for multiple-dosing was from a Phase 2 randomized, placebo-controlled, dose-ranging study of postmenopausal women with low BMD [10]. This study involved 6, 14 and 30 mg s.c. doses of denosumab administered every 3 months. uNTX was measured at 0 and 0.1 months after the first dose, once a month in the first year, and every 3 months during the second year. The lumbar spine BMD was measured at 0, 1, 3, 6, 12, 18 and 24 months. (iii) Ibandronate PD (uCTX time

Table 1. Data source characteristics

Study reference	Drug regimen	PK/PD measurements
Bekker <i>et al.</i> , 2004 [9]	Denosumab: 0.01, 0.03, 0.1, 0.3, 1 and 3 mg/kg single s.c. dose levels	Denosumab, serum NTX (sNTX), urine NTX (uNTX)
Lewiecki <i>et al.</i> , 2007 [10]	Denosumab: 6, 14, and 30 mg s.c. doses every 3 months	Urine NTX (uNTX), bone mineral density (BMD)
Pillai <i>et al.</i> , 2004 [8]	Ibandronate: 0.25, 0.5, 1 and 2 mg i.v. doses every 3 months	Ibandronate, urine CTX (uCTX)

profiles) was from a Phase 1 study in postmenopausal women with osteopenia [8]. This study involved 0.25, 0.5, 1.0 and 2.0 mg i.v. doses of ibandronate administered once every 3 months. uCTX was measured at 0, 1, 4, 8, 15, 29, 57 days after the first dose and at 0, 1, 2, 3, 4, 8, 15, 29, 57 and 92 days after the second dose. Data were digitized using Graph Digitizer version 2.0.

The extracted percentage changes in biomarkers and BMD were converted to absolute values utilizing baseline values provided in the original studies. Baseline T-scores of BMD for denosumab were converted to absolute values utilizing a reference mean BMD of 1.034 and standard deviation of 0.104 for Caucasian women of 20–29 years age [14]. These absolute values were used for model fitting/optimization, and the output was converted back to relative percentages post-fitting for proper visualization and comparisons across dose levels.

### Pharmacokinetic models

Serum denosumab PK profiles were characterized using a one-compartmental model with Michaelis-Menten kinetics (Figure 1A). A first-order rate process ( $k_a$ ) governs the absorption of drug ( $\text{Dose}_{\text{deno}}$ ) from the subcutaneous (s.c.) injection site into the central compartment ( $C_{p,\text{deno}}$ ,  $V_c$ ). Drug elimination from the central compartment is described by a combination of a linear first-order process ( $k_{el}$ ) and a non-linear process ( $V_{\text{max}}$ ,  $K_m$ ):

$$\frac{dC_{p,\text{deno}}}{dt} = k_a \text{Dose}_{\text{deno}} \cdot e^{(-k_a t)} / (V_c / F) - \frac{V_{\text{max}} / (V_c / F)}{K_m + C_{p,\text{deno}}} \cdot C_{p,\text{deno}} - k_{el} C_{p,\text{deno}} \quad (1)$$

where,  $V_c / F$  is the volume of the central compartment adjusted for bioavailability. The initial condition for Equation (1) is set to zero. The prolonged absorption phase and the absence of i.v. data precluded the need for including distribution of the drug to a non-specific tissue compartment and thus reduced the number of parameters in this model. The PK model (Figure 1B) and parameters for ibandronate were obtained from the literature [8].

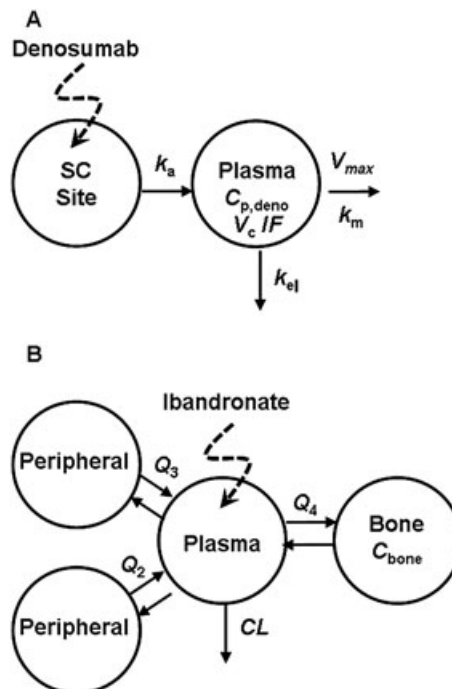


Figure 1. Pharmacokinetic models for denosumab (A) and ibandronate (B). For (A), drug administered subcutaneously is absorbed ( $k_a$ ) into the plasma compartment ( $C_p$ ,  $V_c$ ) and undergoes linear ( $k_{el}$ ) and nonlinear ( $V_{\text{max}}$ ,  $K_m$ ) elimination. Model shown in (B) is a linear 4-compartment model with a bone-specific site originally described by Pillai *et al.* [8]

### Pharmacodynamic model

A fully integrated bone homeostasis model incorporating the actions of denosumab and ibandronate on biomarkers and bone mineral density (BMD) is illustrated in Figure 2. Details of the biological pathways involved in this model are described in detail elsewhere [13]. Here previous efforts were extended to include mechanistic links for BMD turnover, serum and urine resorption biomarkers and pharmacological action of ibandronate for postmenopausal osteoporosis.

The model includes functional cellular components such as active osteoclasts (AOC) that are responsible for bone resorption and active osteoblasts (AOB) that stimulate bone formation. The AOC are produced from an unlimited supply of osteoclast precursors upon stimulation of a signaling pathway initiated by RANK–RANKL binding. TGF- $\beta$ , which is released from the bone matrix during resorption, stimulates transformation of AOC

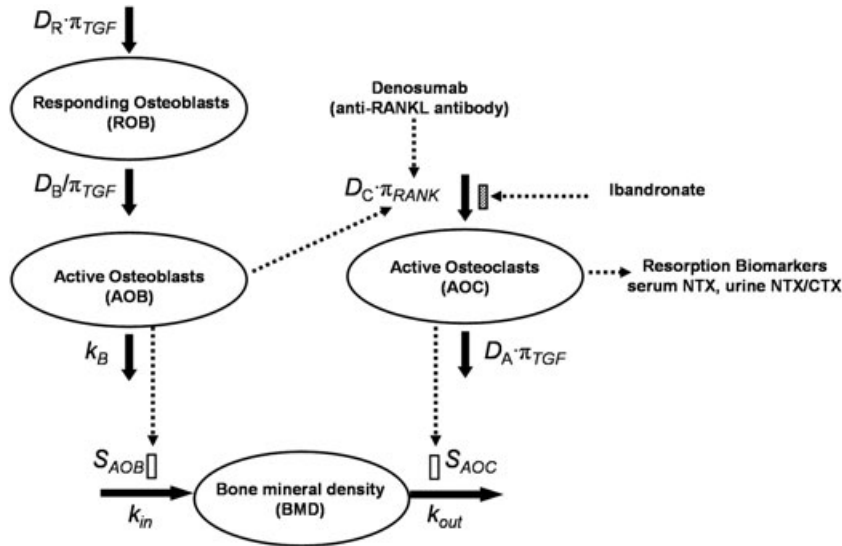


Figure 2. Schematic diagram of the integrated bone homeostasis model, which is adapted from Lemaire *et al.* [15]. The model incorporates the action of denosumab and ibandronate and links the relevant biomarkers (sNTX, uNTX, uCTX) and a clinical endpoint (BMD) to physiological state variables. Details are provided under PD model in Methods

into apoptotic cells. AOB are produced from the differentiation of responding osteoblasts (ROB), which in turn are produced by the differentiation of uncommitted progenitors. The AOB pool eventually differentiates into osteocytes and apoptotic osteoblasts. While TGF- $\beta$  stimulates the production of ROB, it inhibits their differentiation into AOB. The ROB produce OPG, which binds to RANKL and thus competes with the RANK–RANKL interaction. The influence of parathyroid hormone (PTH) on the RANK–RANKL–OPG axis has also been incorporated. PTH binds to the receptors on AOB and ROB to stimulate the production of RANKL and inhibit the production of OPG [13,15].

The governing equations for the concentrations of the responding osteoblasts ( $C_{\text{ROB}}$ ), the active osteoblasts ( $C_{\text{AOB}}$ ), and the active osteoclasts ( $C_{\text{AOC}}$ ) are as follows:

$$\frac{dC_{\text{ROB}}}{dt} = D_R \pi_{\text{TGF}} - \frac{D_B}{\pi_{\text{TGF}}} C_{\text{ROB}} \quad (2)$$

$$\frac{dC_{\text{AOB}}}{dt} = \frac{D_B}{\pi_{\text{TGF}}} C_{\text{ROB}} - k_B C_{\text{AOB}} \quad (3)$$

$$\frac{dC_{\text{AOC}}}{dt} = D_C \pi_{\text{RANK}} \left( 1 - \frac{I_{\text{max}} C_{\text{bone}}^h}{IC_{50}^h + C_{\text{bone}}^h} \right) - D_A \pi_{\text{TGF}} C_{\text{AOC}} \quad (4)$$

where,  $D_R$ ,  $D_B$  and  $D_C$  are the differentiation rate constants of osteoblast progenitors, ROB and osteoclast precursors,  $k_B$  is the rate of elimination of AOB, and  $D_A$  is the rate constant of AOC apoptosis.  $\pi_{\text{TGF}}$  and  $\pi_{\text{RANK}}$  are the receptor occupancies of TGF- $\beta$  and RANKL. The response is proportional to the occupancy when binding results in stimulation of a cellular process and inversely proportional when binding inhibits a cellular process.

Bisphosphonates are thought to reduce resorption by altering the life-spans and action of osteoclasts and their precursors [7,8]. Thus the concentration of ibandronate in the bone compartment ( $C_{\text{bone}}$ ) is used to inhibit the differentiation of osteoclast precursors to AOC in Equation (4).  $I_{\text{max}}$  is the maximal fractional extent of inhibition, and  $IC_{50}$  is the ibandronate concentration producing 50% of maximal inhibition. As denosumab binds with RANKL, the RANK occupancy ( $\pi_{\text{RANK}}$ ) is dependent on the simultaneous binding of RANK ( $K$ ), OPG ( $O$ ) and denosumab ( $C_{\text{p,deno}}$ ) with RANKL ( $L$ ) [13]:

$$\pi_{\text{RANK}} = \frac{k_3}{k_4} \cdot \frac{K_L^P \pi_{\text{PTH}} C_{\text{AOB}}}{\left(1 + \frac{k_1}{k_2} O + \frac{k_3}{k_4} K + \frac{k_{\text{on}}}{k_{\text{off}}} C_{\text{p,deno}}\right)} \quad (5)$$

where,  $K_L^P$  is the maximum number of RANKL attached on each surface.  $k_1$ ,  $k_3$  and  $k_{\text{on}}$  are association rate constants and  $k_2$ ,  $k_4$  and  $k_{\text{off}}$  are dissociation rate constants for the binding of OPG, RANK and denosumab with RANKL.  $\pi_{\text{PTH}}$  is the receptor occupancy of PTH. The expressions for  $\pi_{\text{PTH}}$ , concentration of OPG ( $O$ ),  $\pi_{\text{TGF}}$  and the initial conditions for Equations (2–4) were obtained from the literature [13].

As NTX and CTX are released from the bone matrix during bone resorption by AOC, serum/urine NTX and urine CTX concentrations are linked to AOC:

$$\begin{aligned} s\text{NTX} &= E_{\text{b,sNTX}} \\ &+ (s\text{NTX}_{\text{ss}} - E_{\text{b,sNTX}}) \frac{[C_{\text{AOC}}]^n}{[C_{\text{AOC,ss}}]^n} \end{aligned} \quad (6)$$

$$\begin{aligned} u\text{NTX} &= E_{\text{b,uNTX}} \\ &+ (u\text{NTX}_{\text{ss}} - E_{\text{b,uNTX}}) \frac{[C_{\text{AOC}}]^n}{[C_{\text{AOC,ss}}]^n} \end{aligned} \quad (7)$$

$$\begin{aligned} u\text{CTX} &= E_{\text{b,uCTX}} \\ &+ (u\text{CTX}_{\text{ss}} - E_{\text{b,uCTX}}) \frac{[C_{\text{AOC}}]^n}{[C_{\text{AOC,ss}}]^n} \end{aligned} \quad (8)$$

where  $E_{\text{b,sNTX}}$ ,  $E_{\text{b,uNTX}}$  and  $E_{\text{b,uCTX}}$  are the basal concentrations of serum/urine NTX and urine CTX corresponding to very low levels of AOC in the system relative to the steady-state baseline values of AOC ( $C_{\text{AOC,ss}}$ ).  $s\text{NTX}_{\text{ss}}$ ,  $u\text{NTX}_{\text{ss}}$  and  $u\text{CTX}_{\text{ss}}$  are the steady-state baseline values of biomarkers, and  $n$  is the Hill coefficient.

Bone mineral density is described as a turnover process with active osteoblasts and active osteoclasts stimulating the production and degradation processes as:

$$\begin{aligned} \frac{dBMD}{dt} &= k_{\text{in}}(1 + S_{\text{AOB}}C_{\text{AOB}}) \\ &- k_{\text{out}}(1 + S_{\text{AOC}}C_{\text{AOC}})BMD \end{aligned} \quad (9)$$

where  $k_{\text{in}}$  is a zero-order production rate constant,  $k_{\text{out}}$  is the first-order degradation rate constant, and  $S_{\text{AOB}}$  and  $S_{\text{AOC}}$  are the coefficients for stimulation by AOB and AOC.

### Data analysis

The denosumab PK model (Figure 1A; Eq. (1)) was fitted to the mean serum concentration–time profiles. The denosumab PK model and estimated parameters were fixed and the bone homeostasis model (Figure 2; Eq. 2–7) was fitted to the serum and urine NTX profiles after single and multiple dose administration. All of the base parameters of the cellular model, with the exception of  $D_A$  and  $D_C$ , were fixed to values obtained from the literature [15]. The final set of estimated parameters included  $D_A$ ,  $E_{\text{b,sNTX}}$  and  $E_{\text{b,uNTX}}$ .  $D_C$  was calculated as a secondary term in order to maintain steady-state baseline conditions: ( $D_C = D_A \pi_{\text{TGF}}^{\text{ss}} C_{\text{AOC}}^{\text{ss}} / \pi_{\text{RANK}}^{\text{ss}}$ ). The Hill coefficient,  $n$  was fixed to 1. The turnover model (Figure 2; Eq. 2–5, 9) was fitted to BMD data with multiple-dosing of denosumab. The PK parameters and  $D_A$  were fixed to earlier estimates obtained in the analysis and  $k_{\text{out}}$ ,  $S_{\text{AOB}}$  and  $S_{\text{AOC}}$  were estimated.  $k_{\text{in}}$  was calculated to maintain steady-state baseline conditions ( $k_{\text{in}} = k_{\text{out}}(1 + S_{\text{AOC}}C_{\text{AOC,ss}})BMD_{\text{ss}} / (1 + S_{\text{AOB}}C_{\text{AOB,ss}})$ ). Ibandronate concentration in the bone ( $C_{\text{bone}}$ ) was set to zero for the analyses of denosumab dynamics. The urine CTX concentration–time profiles upon ibandronate administration were fitted using the proposed model (Figure 2; Eq. 2–5, 8). In this case,  $C_{\text{bone}}$  was described using a previously published PK model [8]. The estimated parameters included  $D_A$ ,  $E_{\text{b,uCTX}}$  and  $IC_{50}$ .  $I_{\text{max}}$  was fixed to 1 and the Hill coefficients ( $h$  and  $n$ ) were fixed to 2 and 5. Serum denosumab concentrations ( $C_{\text{p,deno}}$ ) were set to zero to represent the absence of this drug for this scenario. Baseline values for all biomarkers and BMD measurements were obtained from patient demographic information reported in data source literature [8–10].

Model parameters were estimated using the maximum likelihood method in ADAPT5 (beta-version) computer program [16]. The variance model was defined as:

$$\text{VAR}_i = (\sigma_1 + \sigma_2 Y_i)^2 \quad (10)$$

where  $\text{VAR}_i$  is the variance of the  $i$ th data point,  $\sigma_1$  and  $\sigma_2$  are the variance parameters, and  $Y_i$  is the model predicted concentration or response.  $\sigma_1$  was fixed to 0.0001 and 0 for the PK and PD variance models. The goodness of fit was assessed by Akaike



Information Criterion, Schwarz Criterion, examination of residuals and visual inspection of the fitted curves.

## Results

### Single dose denosumab PK

The mean serum concentration–time profiles of denosumab and fitted curves after single subcutaneous (s.c.) administration of six different dose levels in healthy postmenopausal women are shown in Figure 3. The proposed one-compartmental model with linear and non-linear Michaelis-Menten elimination characterized the serum concentrations of the drug reasonably well for a wide range of dose levels. Parameter estimates are listed in Table 2.  $V_{\max}$  was fixed to a value that was obtained during the initial runs. As expected for drugs with very specific targets contributing as sites of distribution in the body, the estimated volume of the central compartment (77.9 ml/kg) is slightly larger than plasma volume [17].

### Single dose denosumab PD: bone resorption

The time-courses of the percentage change from baseline in concentrations of NTX in serum and

Table 2. Pharmacokinetic parameter estimates for denosumab in healthy postmenopausal women

Parameter (units)	Final estimate	CV%
$k_a$ (day <sup>-1</sup> )	0.170	2.7
$k_{el}$ (day <sup>-1</sup> )	$1.15 \times 10^{-2}$	0.554
$V_c / F$ (ml/kg)	77.9	1.55
$K_m$ (ng/ml)	411	1.35
$V_{\max}$ (ng/kg/day)	2672 <sup>a</sup>	-

<sup>a</sup>Fixed parameter based on preliminary analysis.

urine and their fitted curves after six single s.c. doses in healthy postmenopausal women are shown in Figure 4. The PK profiles (Figure 3) were fixed as driving functions for the pharmacodynamics. The integrated model incorporates denosumab binding to RANKL leading to inhibition of RANK–RANKL interaction (Eq. (5)). This reduces the active osteoclast pool which results in a decrease in serum and urine NTX biomarkers. Correspondingly, both biomarker profiles show a decline in concentration followed by a gradual increase toward baseline as the drug is washed out from the system. The model captured the time-courses of NTX concentrations reasonably well given the variability in the observed data with simultaneous fitting. The final estimated parameters are listed in Table 3, and low CV% values were obtained for all fitted parameters. The fits, obtained using the full integrated model, are comparable to those obtained with a basic indirect response (IDR) model (Supplemental Figure S1, Table S1).

### Multiple dosing denosumab PD: bone resorption biomarker

The time-courses of the percentage change from baseline in urine NTX and fitted curves for three s.c. dose levels administered every 3 months in a multiple dosing schedule in postmenopausal women with low BMD are shown in Figure 5. The pharmacokinetic model obtained from fitting the data for healthy postmenopausal women was used as a driving function for the pharmacodynamics. As denosumab PK is not available for postmenopausal women with low BMD, and with the absence of data to suggest any differences, it was assumed that the PK in this population is similar to healthy postmenopausal women. The

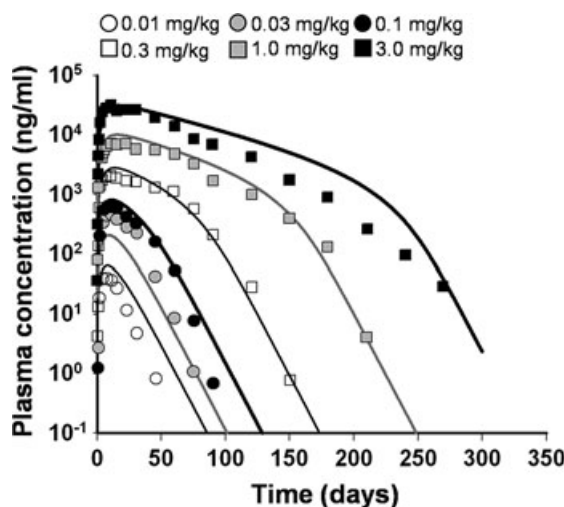


Figure 3. Observed and model-fitted PK profiles of denosumab after six single s.c. doses of 0.01, 0.03, 0.1, 0.3, 1.0 and 3.0 mg/kg in healthy postmenopausal women. Symbols represent mean data from the literature [9] and lines are the fitted profiles

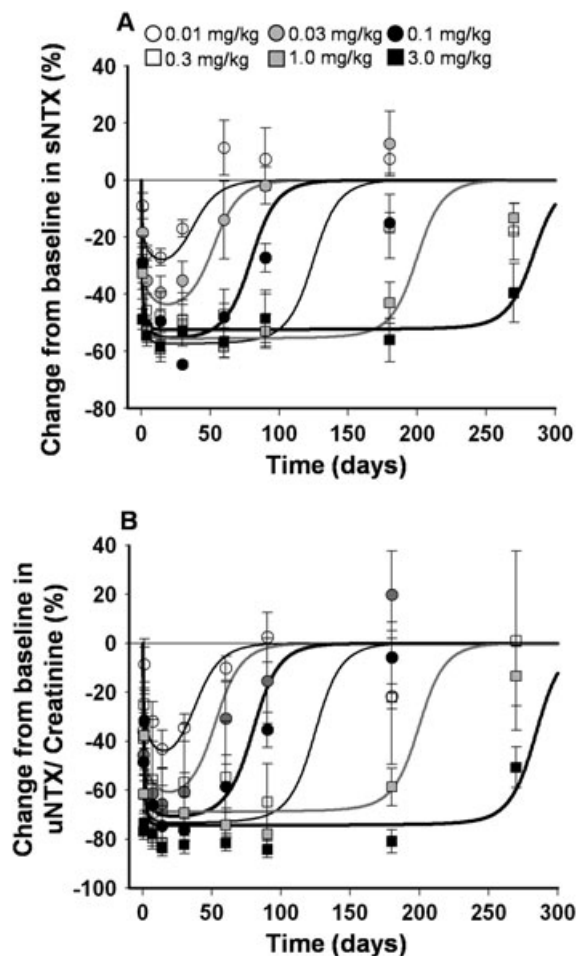


Figure 4. Change from baseline in NTX in serum (A) and urine (B) following six single s.c. doses of denosumab at 0.01, 0.03, 0.1, 0.3, 1.0 and 3.0 mg/kg in healthy postmenopausal women. Symbols represent mean data and standard errors from the literature [9] and lines are model-fitted profiles using the integrated bone homeostasis model

model captured the time course of urine NTX reasonably well, and the profiles are also in agreement with a basic IDR model (Figure S2, Table S2). Both models overpredict the response at later times (over 500 days) for higher dose levels. Although no data are available, the increase in urine NTX at later times could be indicative of disease progression or tolerance against drug action [13]. The base value of urine NTX ( $E_{b,uNTX}$ ) was estimated as 23 nM (Table 3) and  $D_A$  was fixed to the value obtained previously.

Table 3. Denosumab pharmacodynamic parameter estimates for serum/urine NTX in healthy postmenopausal women (PMW) and urine NTX in postmenopausal women with low bone mineral density, using integrated bone homeostasis model

Parameter (units)	Final estimate	CV%
Healthy PMW		
$D_A$ (day <sup>-1</sup> )	9.55	17.7
$E_{b,sNTX}$ (nM)	7.24	4.49
$E_{b,uNTX}$ (nmol/mmolCr)	14.4	4.67
PMW with low BMD		
$D_A$ (day <sup>-1</sup> )	9.55 <sup>a</sup>	-
$E_{b,uNTX}$ (nmol/mmolCr)	23.0	3.40

<sup>a</sup>Fixed parameter based on fitted biomarker (NTX) data in healthy PMW.

### Multiple dosing denosumab PD: bone mineral density

The time-courses of the percentage change from baseline in lumbar spine bone mineral density (BMD) and their fitted curves after three s.c. dose levels administered every 3 months in a multiple dosing schedule in postmenopausal women with low BMD are shown in Figure 6. An increase in BMD is observed upon administration of multiple denosumab doses. The integrated bone turnover model, with osteoblasts stimulating bone production and osteoclasts stimulating resorption, captures the increase in BMD reasonably well for the 6 and 30 mg dose levels.  $D_A$  was fixed to 9.55 day<sup>-1</sup> as before. The final estimated parameters are listed in Table 4. Similar to the bone turnover biomarkers, a basic IDR model can also describe the time course of BMD following denosumab treatment (Figure S3, Table S3).

### Multiple dosing ibandronate PD: bone resorption biomarker

The temporal profiles of the percentage change from baseline in the concentration of urine CTX and their fitted curves after four i.v. dose levels administered every 3 months in a multiple dosing schedule in postmenopausal women with osteopenia are shown in Figure 7. The linear 4-compartmental PK model from Pillai and colleagues [8] was used as a driving function for the pharmacodynamics. The model with ibandronate inhibiting the production of active osteoclasts (Eq. (4)), captured the time-course of urine CTX reasonably well for all four dose levels. The predicted profiles

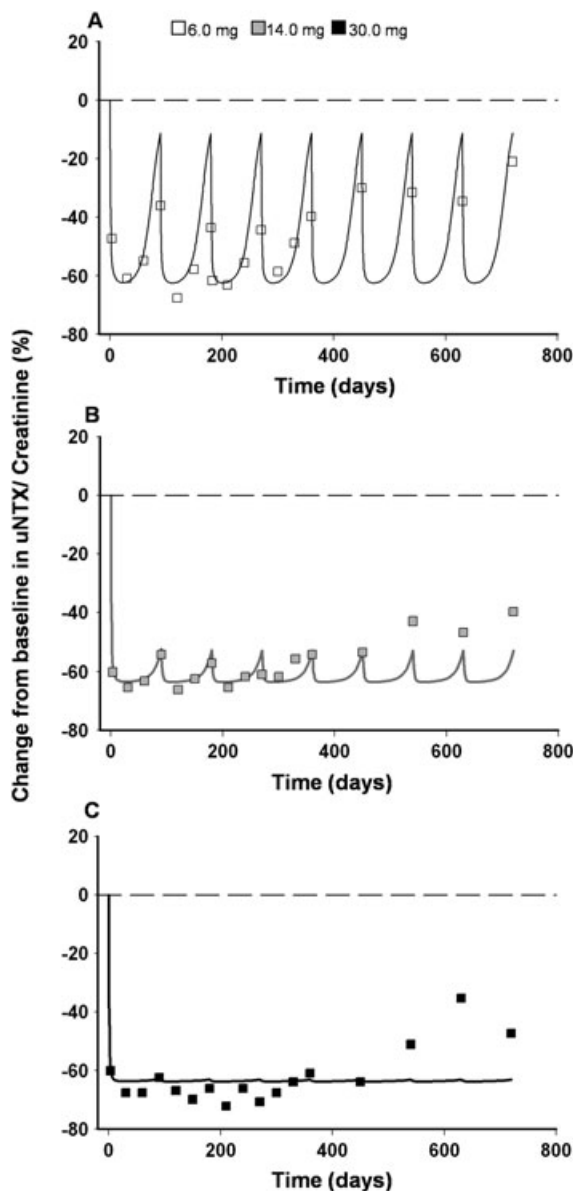


Figure 5. Change from baseline in urine NTX/creatinine after multiple s.c. dosing of denosumab. Regimens are 6 (A), 14 (B), and 30 mg (C) of denosumab given every 3 months to postmenopausal women with low BMD. Symbols represent data from the literature [10] and lines represent model-fitted profiles using the integrated bone homeostasis model

show a decrease in CTX concentrations corresponding to a decrease in the AOC pool followed by a smooth increase in concentrations to baseline as the drug is washed out from the system. This profile is also consistent with a basic

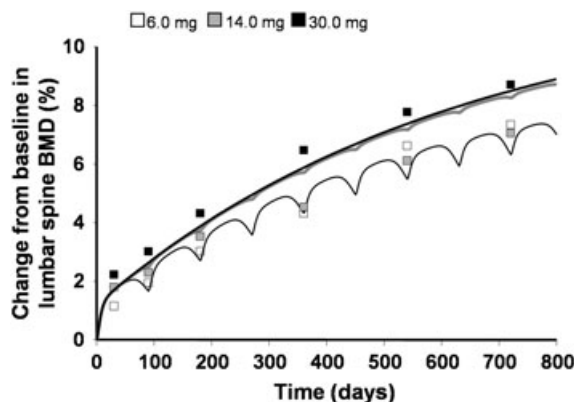


Figure 6. Change from baseline in lumbar spine BMD after multiple s.c. doses of denosumab. Regimens are 6, 14 and 30 mg of denosumab given every 3 months to postmenopausal women with low BMD. Symbols represent data from the literature [10] and lines represent model-fitted profiles using the integrated bone homeostasis model

Table 4. Denosumab pharmacodynamic parameter estimates for lumbar spine bone mineral density (BMD) in postmenopausal women with low BMD, using integrated bone homeostasis model

Parameter (units)	Final estimate	CV%
$D_A$ (day <sup>-1</sup> )	9.55 <sup>a</sup>	-
$k_{out}$ (day <sup>-1</sup> )	$1.61 \times 10^{-3}$	46.5
$S_{AOB}$ (pM <sup>-1</sup> )	1214	87.7
$S_{AOC}$ (pM <sup>-1</sup> )	790	65.2

<sup>a</sup>Fixed parameter from fitted biomarker (NTX) data reported in Table 3.

IDR model (Figure S4, Table S4). The final estimated parameters for the integrated model are listed in Table 5. The maximum inhibition of osteoclast,  $I_{max}$ , was fixed to 1 based on the initial estimates. A lower value of  $0.842 \text{ day}^{-1}$  for the rate of apoptosis of AOC ( $D_A$ ) was obtained compared with estimates for denosumab. Interestingly, the estimated  $IC_{50}$  value (522 ng/l) is similar to the estimated value (370 ng/l) reported by Pillai and colleagues [8].

## Discussion

This study incorporates a mechanistic approach to modeling the biological pathways involved in the bone remodeling process, and successfully links



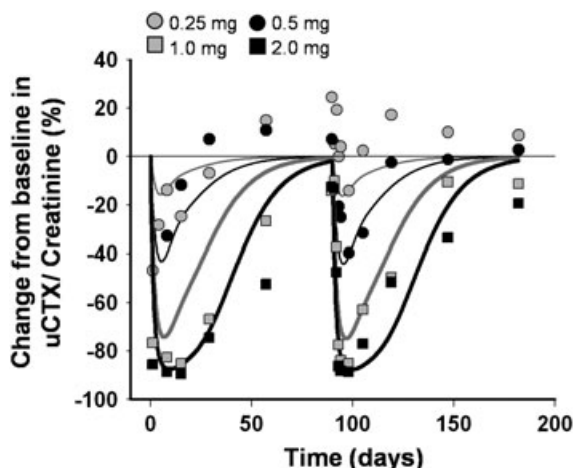


Figure 7. Change from baseline in urine CTX/creatinine following four i.v. doses of 0.25, 0.50, 1.0 and 2.0 mg of ibandronate every 3 months in postmenopausal women with osteopenia. Symbols represent mean data from the literature [8] and lines represent model-fitted profiles using the integrated bone homeostasis model

Table 5. Ibandronate pharmacodynamic parameter estimates for urine CTX in postmenopausal women with osteopenia, using integrated bone homeostasis model

Parameter (units)	Final estimate	CV%
$D_A$ (day <sup>-1</sup> )	0.842	15.2
$I_{max}$	1 <sup>a</sup>	-
$h$	2 <sup>b</sup>	-
$IC_{50}$ (ng/l)	522	8.74
$E_{b,uCTX}$ (μg/mmolCr)	31	28.7
$n$ (dimensionless)	5 <sup>b</sup>	-

<sup>a</sup>Fixed parameter based on indirect response model theory [22].

<sup>b</sup>Fixed parameter based on preliminary analysis.

the pharmacological action of ibandronate and denosumab with critical biomarkers and clinical endpoints in the treatment of osteoporosis. The current model (Figure 2) is robust in being able to incorporate the distinct mechanisms of action of these two therapeutic agents. A previous version of the model was used to characterize denosumab PD in multiple myeloma patients [13] and in this study the extended model was used to characterize data from postmenopausal women with low bone mineral density. The model has a clear advantage of including common features of bone biology while accounting for differences in pathways and targets across therapeutic interventions.

The integrated model captured the time-course of bone resorption biomarkers, serum and urine NTX, after single and multiple denosumab administration reasonably well (Figures 4 and 5). The fitted profiles were comparable to those obtained from basic indirect response models (shown in supplementary material). This underscores the utility of the model for both data characterization and providing a platform for testing the role of various molecular and cellular variables in regulating drug response and disease progression. As an example, it was previously demonstrated that the model predicts an attenuation of denosumab response with an up-regulation in RANKL which could result from simple disease progression [13]. Various physiological processes such as a decline in estrogen [6], decrease in OPG [18] and increased differentiation rate of OC precursors [7] are known to be indicative of osteoporosis development and progression. Future challenges include effectively linking the model with such biomarkers, thereby providing a mechanism-based approach for simultaneously exploring disease progression in the course of therapy.

Bisphosphonates exhibit high affinity for bone mineral surfaces and their accumulation at resorption sites reduce resorption by affecting osteoclast precursors [8]. These drugs are also absorbed by osteoclasts in the resorptive cavities and reduce osteoclast activity possibly by reducing the life span of these cells [7]. Based on these hypotheses, several model permutations were evaluated for ibandronate, including: (i) drug inhibiting the differentiation of osteoclast precursors ( $D_C$ ), (ii) drug stimulating the rate of apoptosis of AOC ( $D_A$ ) and (iii) both mechanisms acting together. The model with ibandronate inhibiting the differentiation rate of osteoclast precursors was selected based primarily on greatest model stability, best visual fits, and low standard errors obtained on parameter estimates. The maximum fractional inhibition constant ( $I_{max}$ ) was fixed to 1 (indicating the potential for complete inhibition), as it was initially estimated close to this value and was correlated with drug potency ( $IC_{50}$ ). The Hill coefficients in the inhibition function ( $h$ ) and the transfer function relating the AOC to CTX ( $n$ ) were fixed to 2 and 5. This was needed to describe the sharp decrease in CTX concentrations, which is likely due to the

mechanisms of action of bisphosphonates and the relative homogeneity in target tissue affinity [19]. Based on the high initial estimate for  $n$  and the fact that values greater than 5 are not identifiable with good precision,  $n$  was fixed to this limiting value. Other values were evaluated for  $h$  as well; however, fixing  $h$  to 2 provided a good fit to the data and reasonable precision on the remaining estimated terms. The rate of apoptosis of AOC obtained for ibandronate ( $D_A = 0.842 \text{ day}^{-1}$ ) was about 10-fold lower than the value obtained for denosumab, and is associated with lower values of  $D_C$  for ibandronate. Such differences can partly be attributed to different study designs and patient populations, which are not accounted for in the current model. It is probable that  $D_A$  and  $D_C$  change in a continuous manner, and future work will be needed to evaluate changing baseline characteristics in the model based on disease severity in different patient populations.

There are several limitations to the present analysis. As individual data were not available, the final model was developed using mean and median literature reported data. The more desirable approach would be to apply the model to patient level data using nonlinear mixed effects modeling. We have attempted to link a theoretical cell-based model to understand macro-scale pharmacodynamic data. This is a formidable challenge and the focus of intense research. The next steps may be to reduce the model, or identify methods for striking a balance between fixed and fitted parameters in a population-based analysis. Another limitation is that the model does not appear to capture the observed difference in BMD profiles following 14 and 30 mg dose levels of denosumab (Figure 6). The minimal difference between these doses is expected from the model since, at these dose levels, the suppression in AOC tends towards saturation that is also reflected in the observed and predicted biomarker profiles. The discrepancy observed between the BMD responses for 14 and 6 mg doses as reflected in the mean data could perhaps have been better understood by conducting a population analysis utilizing individual level drug exposures [10]. Finally, comparisons of bone turnover dynamics across multiple measurement platforms must be done cautiously. Fortunately, similar methodologies were utilized in the present collection of studies, and transforming the

data to/from percent change may facilitate cross-platform analyses. Although bone mineral density is considered the gold standard for response to remodeling agents and forms the basis for a primary endpoint in drug approvals, some reports suggest that increases in BMD may not adequately reflect architectural preservation of bone, and continued significant fracture risk may exist [20,21]. Further modeling efforts are needed to understand the relationship(s) between BMD and changes in fracture risk.

A potential utility of the final model (Figure 2) in drug development is the anticipation of long-term clinical endpoint dynamics (e.g. BMD profiles) from changes in short-term biomarker data. We combined prior system specific parameters (from BMD data following denosumab treatment) with ibandronate specific parameters (from short-term biomarker data analysis) to explore and predict changes in BMD following ibandronate therapy (Figure S5). In addition, a more mechanistic model might prove useful for ascertaining the determinants of long-term drug effects in the presence of disease progression.

## Conclusion

In conclusion, an integrated bone homeostasis model has been extended to characterize the time-courses of clinical biomarkers following treatment with denosumab and ibandronate in postmenopausal women with bone loss. The structural model can incorporate multiple pathways of therapeutic intervention by drugs that have distinct pharmacology and mechanisms of action. This might aid a mechanistic model-based approach for designing and analysing current and prospective therapeutic strategies for osteoporosis and other osteolytic diseases.

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